## IC SQUID

## THIRD INTERNATIONAL CONFERENCE ON SUPERCONDUCTING QUANTUM DEVICES

BERLIN (WEST), JUNE 25 - 28, 1985

## CONFERENCE DIGEST

IC SQUID 1985 ist sponsored by
European Physical Society and
Physikalisch-Technische Bundesanstalt
and has received generous support from
Biomagnetic Technologies, Inc. (S.H.E. GmbH)
FA Tiefe Temperaturen der Deutschen Phys. Gesellschaft
Senator für Wirtschaft, Berlin

Vakuumschmelze GmbH

STATIONARY PROPERTIES OF JOSEPHSON SN-N-NS MICROBRIDGES

V.F.Lukichev, M.Yu.Kupriyanov and A.A.Orlikovsky General Physics Institute, Academy of Science of the USSR, 117942 Moscow, Vavilov street, 38.

Josephson weak links such as SN-N-NS microbridges have a good outlook for applications in cryoelectronic devices because of their potential high characteristics. However, in spite of re latively good theoretical understanding of main processes in such structures an experimental situation is far from optimum. For example, the  $I_C^R{}_N$  product ( $I_C$  critical current,  $R_N$  normal state resistance) of experimental bridges2,3 is much more lo wer than theoretical predictions for this value which should be comparable with one in tunnel junctions. One possible rea son of such depressed  $\mathbf{I}_{\mathbb{C}}{}^{\mathbf{R}}{}_{\mathbb{N}}$  value is the proximity effect be tween superconducting film and normal (N) layer. It is obvio us that  $I_{\mathbb{C}}^{R}$ N can be reduced also by geometrical factors, for example, because of too low normal resistance. This fact req uiers a relatively small thickness of N layer dN. Furthemore it seems possible to create large gradients ( $I_{\mathbb{C}} \circ d_{\mathbb{N}}^{-1}$ ) in ver tical type microbridges by special current injection in order to raise up  $I_{\mathbb{C}}$  (as in SNS sandwich) and keep high  $R_{\mathbb{N}}$  ( $R_{\mathbb{N}}^{\hookrightarrow d}$ as in microbridge). On the other hand N channel confinement due to too small  $d_N$  reduces  $I_C$  to zero ( $I_C {
ightharpoonup} d_N$ ). Therefore fun ction  $I_{\mathbb{C}}(d_{\mathbb{N}})$  has to have a maximum. Thus the subject of the re port is to investigate the influence of the proximity effect on properties of structures under consideration and to calcu late function  $I_{C}(d_{N})$  with the aim of optimization.

Earlier, the influence of the proximity effect on properties of SN-N-NS microbridges has been analysed only phenomenologically<sup>3</sup>. In order to evaluate microscopic theory of Josephson effect in SN-N-NS microbridges we start from the following assumptions: 1) the condition of dirty limit is fulfilled for both S and N metals; 2) there is no potential barrier on SN

interface; 3) the thickness of S layer is greater than its co herence length  $\mathcal{E}_S'$ , so that the critical temperature of the SN electrode is close to that of the bulk superconductor; 4) the thickness of the N metal  $\mathbf{d}_N$  is much less than its coherence length  $\mathcal{E}_N^\star$  and its  $\mathbf{T}_C$  equals zero.

Under this conditions with the help of Usadel equations we have calculated the temperature dependencies of  $I_CR_N$  for various values of the parameter  $\int_M = (\mbox{\ensuremath{\sigma_N}} \xi_S^* \mbox{\ensuremath{\sigma_N}})/(\mbox{\ensuremath{\sigma_S}} \xi_N^*)$  characterizing the proximety effect in SN electrodes for series of effective weak link lengths. It is shown that for  $\int_M < 0.3 \mbox{\ensuremath{I_C}} R_N$  product is reduced not more than factor of two in comparison with the case  $\int_{M} = 0$ . In fact, this confinement on  $\int_M$  is the condition of choice of the suitable pairs of S and N materials giving the small  $\chi_M$ .

In order to consider quasi-two dimensional processes (which are essential for  $d_N\!\!>\!\!\xi_N^*$ ) we have supposed for simplicity the weak proximity effect (  $\delta_M\!\!<\!\!1$ ). We have solved Bilenberger equations for the clean limit with rigid boundary conditions on SN interfaces and with zero normal derivatives at the free surfaces. We have obtained thickness  $d_N\!\!\approx\!\!0.1\,\xi_N$  for which critical current reaches maximum value. Maximum of  $I_C$  in dirty limit lays at  $d_N\!\!\approx\!\!\xi_N^*$ . However,  $I_CR_N$  product gradually falls with increasing  $d_N$  being approximately constant for  $d_N\!\!<\!\!\xi_N^*$  and lowering as  $d_N^{-1}$  for  $d_N\!\!>\!\!\xi_N^*$ .

- 1. M.Yu.Kupriyanov, K.K.Likharev, V.F.Lukichev, Physica, 1981, v.108B, pp.1001-2.
- 2. J.M. Warlaumont, J.C. Brown, R.A. Buhrman, Appl. Phys. Lett., 1979, v.34, p.415.
- 3. A.De Lozanne, M.Dilorio, M.R.Beasley, Physica, 1981, v.108B, p.1027.